

Lazky's Law

The change in trend of ore exploitation from high-grade/small volume ores to low-grade /very large volume ores is adopted by Lazky's Law which states that: "The arithmetic decrease in ore-grade is associated by a geometrical increase in both the quantity of extracted ore and the quantity of purified metal as shown in Figure (1).

Question 1

- (A) Using Figure (1), calculate the tonnage of ore that must be extracted for copper deposits having ore grades of
(a) 1%, (b) 0.5% and (c) 0.1%.
- (B) Calculate the weight of the metal present in each case.
- (C) Discuss the results you obtained in (B). Are your results reasonable?

Question 2:

- (A) Given that the average crustal abundance of copper is 55 ppm, calculate the weight of continental crust that could yield one million tons (10^6) of Cu.
- (B) Given that the average density of the crust is 2700 kg m^{-3} , calculate the volume of crust that this represents.
- (C) If the average thickness of the continental crust is 30 km and it covers 30% of the earth's surface area ($r = 6370 \text{ km}$), what proportion of the total continental crust volume does your answer to (B) represent?

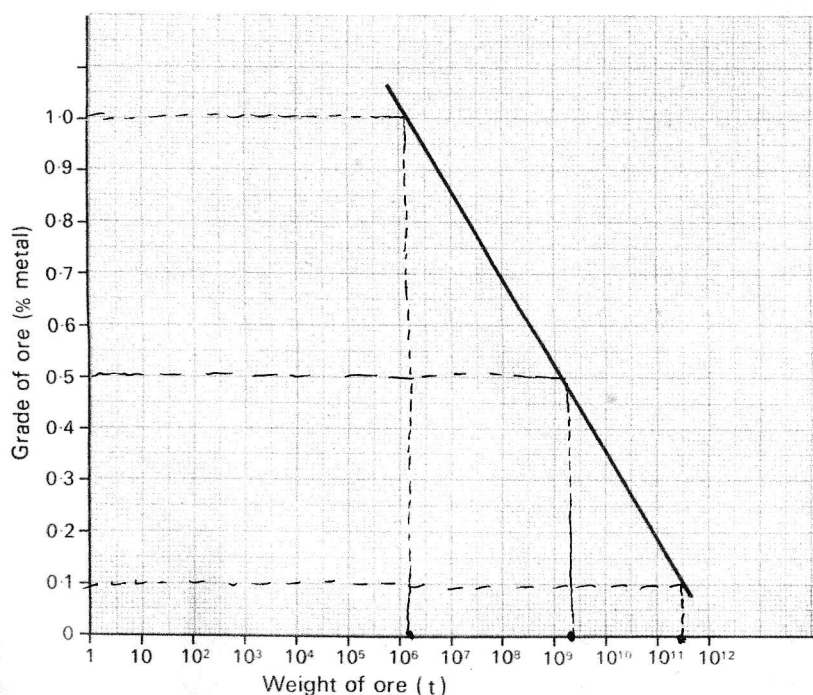


Figure 5 Graphical representation Lazky's Law, for use with SAQ 6.

Solutions:

Question 1

(A)

(a) 1% grade, from graph, the weight of ore to be extracted is 1×10^6 t.

(b) 0.5% grad, the weight of ore is 2×10^9 t.

(c) 0.1% grade, the weight of ore is 5×10^{11} t.

(B) The weight of copper at 1% is 1×10^4 t.

<u>Weight of ore (t)</u>	<u>weight of metal (t)</u>
100	1
1×10^6	x

$$X = (1 \times 1 \times 10^6) / 100 = 1 \times 10^4 \text{ t.}$$

The weight of copper at 0.5% is 1×10^7 t.

The weight of copper at 0.1% is 5×10^8 t.

(C) The results for 1% are realistic, but for 0.5% and 0.1% they are exaggerated (for example in 1973, the total estimated world reserves of Cu were only 3×10^4 t (with average 0.5% grade).

Question 2

(A)

<u>Weight of continental crust (t)</u>	<u>weight of Cu (t)</u>
10^6	55
x	10^6

$$X = (10^6 \times 106) / 55 = 1.86 \times 10^{10} \text{ t.}$$

(B)

$$D = 2700 \text{ kg m}^{-3} = 2.7 \text{ t m}^{-3}$$

$$D = W/V$$

$$2.7 = 1.86 \times 10^{10} / V$$

$$V = 1.86 \times 10^{10} / 2.7 = 6.9 \times 10^9 \text{ m}^3 = 6.9 \text{ km}^3.$$

(C) The surface area of the earth crust = $4\pi r^2 = 4 \times 3.14 \times (6370)^2$
= 509645864 km².

The surface area of the continental crust = $30/100 \times 509645864$

$$= 152893759.2 \text{ km}^2.$$

The volume of the continental crust = thickness x continental surface area

$$= 30 \times 152893759.2 = 4586812776 \text{ km}^3.$$

$$= 4.6 \times 10^9 \text{ km}^3$$

The proportion is = $6.9 / 4.6 \times 10^9$

(2)

Lab 3